

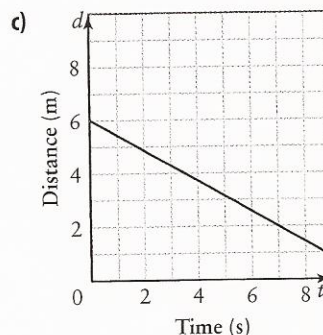
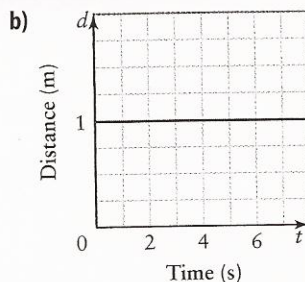
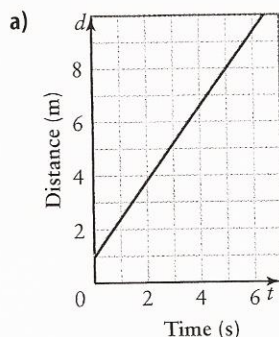
Complete Questions # 1-6

A Practise

- Which of the following does not represent a situation that involves an average rate of change? Justify your answer.
 - A child grows 8 cm in 6 months.
 - The temperature at a 750-m-high ski hill is 2°C at the base and -8°C at the top.
 - A speedometer shows that a vehicle is travelling at 90 km/h.
 - A jogger ran 23 km in 2 h.
 - The laptop cost \$750.
 - A plane travelled 650 km in 3 h.

For help with questions 2 and 3, refer to Example 1.

- Identify if the average rate of change for pairs of points along each graph is constant and positive, constant and negative, zero, or non-constant. Justify your response.



- Determine the average rate of change for two points on each line segment in question 2.
- In 1990, 16.2% of households had a home computer, while 66.8% of households had a home computer in 2003. Determine the average rate of change of the percent of households that had a home computer over this time period.

Source: Statistics Canada, Canada at a Glance 2006, page 9, Household facilities.

Complete Questions

B Connect and Apply

For help with question 5, refer to Example 2.

- The table shows the percent of Canadian households that used e-mail from 1999 to 2003.

Year	Households (%)
1999	26.3
2000	37.4
2001	46.1
2002	48.9
2003	52.1

Source: Statistics Canada, Canada at a Glance, 2006, page 9, Household Internet use at home by Internet activity.

- Determine the average rate of change of the percent of households using e-mail from 1999 to 2003. What are the units for this average rate of change?
- Why might someone want to know the average rate of change found in part a)?
- Determine the average rate of change of the percent of households using e-mail for each pair of consecutive years from 1999 to 2003.
- Compare the values found in part c). Which value is the greatest? the least? What is the significance of these values?
- Compare the values found in part a) with those in part c). Explain any similarities or differences.

B Connect and Apply

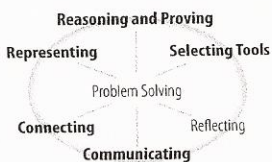
For help with questions 6 to 8, refer to Example 3.

6. **Use Technology** The purchase price, P , of one share in a company at any time, t , in years, can be modelled by the function $P(t) = -0.2t^3 + 2t^2 + 8t + 2$, $t \in [0, 13]$.
- Graph the function.
 - Use the graph to describe when the rate of change is positive, when it is zero, and when it is negative.
 - Determine the average rate of change of the purchase price from
 - year 0 to year 5
 - year 5 to year 8
 - year 8 to year 10
 - year 8 to year 13
 - When was the best time to buy shares? sell shares? Justify your answers.

7. As a large snowball melts, its size changes. The volume, V , in cubic centimetres, is given by the equation

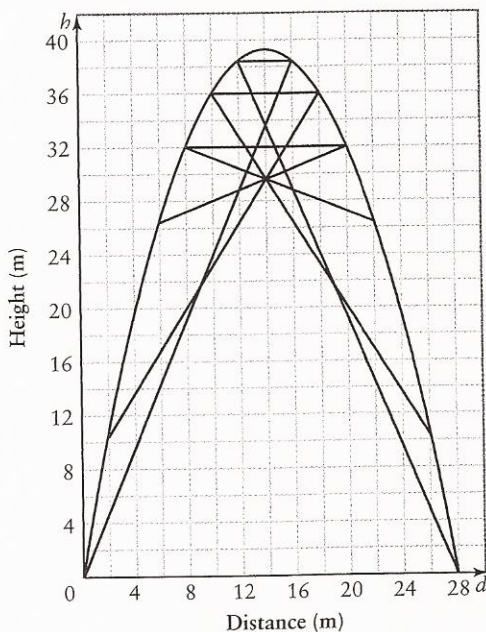
$V = \frac{4}{3}\pi r^3$, where r is the radius, in centimetres, and $r \in [0, 30]$. The surface area, S , in square centimetres, is given by the equation $S = 4\pi r^2$.

- What type of polynomial function does each formula represent? Sketch a graph of each function. State the domain and range.
- Determine the average rate of change of the surface area and of the volume as the radius decreases from
 - 30 cm to 25 cm
 - 25 cm to 20 cm
 Compare the change in surface area to the change in volume. Describe any similarities and differences.
- Determine the average rate of change of the surface area when the surface area decreases from 2827.43 cm^2 to 1256.64 cm^2 .
- Determine the average rate of change of the volume when the volume decreases from 1675.52 cm^3 to 942.48 cm^3 .
- Interpret your answers in parts c) and d).



8. A cyclist riding a bike at a constant speed along a flat road decelerates to climb a hill. At the top of the hill the cyclist accelerates and returns to the constant cruising speed along another flat road, and then accelerates down a hill. Finally, the cyclist comes to another hill and coasts to a stop. Sketch a graph of the cyclist's speed versus time and a graph of distance travelled versus time. Justify your sketches.

9. **Chapter Problem** A structural engineer designs a bridge to be built over a river. The following design, consisting of a parabola and crossbeams, represents the bridge's metal support structure.



- Determine an equation for the parabola in the design.
- What type of line does each crossbeam represent?
- Determine the slope of each crossbeam in the design. Describe your method.
- What do the slopes of the crossbeams represent?
- How is the symmetry of the parabola shown by the slopes of the crossbeams?